

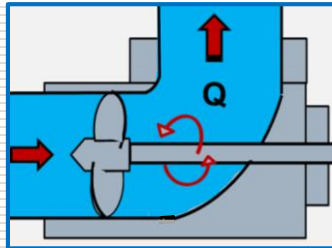
# Description of Pumps and Pump Types

## (Definitions and Visualization)

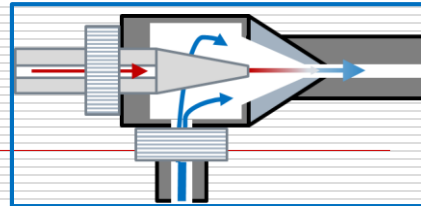
**Pump:**

### Propeller (axial flow)

**Pump:** pressure energy is imparted to the fluid by the mechanical rotation of blades.



**Jet (mixed flow) Pump:** nozzle spray is released into the throat of the main pipe and suction induces flow



# Centrifugal Pump Characteristic Curves

## (Visualization and Flow vs. Head Principles)

Consider the aquarium pump flow in the figure.

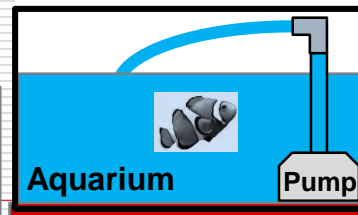
Every pump delivers a certain power:  $P_o = \gamma Q H_p$

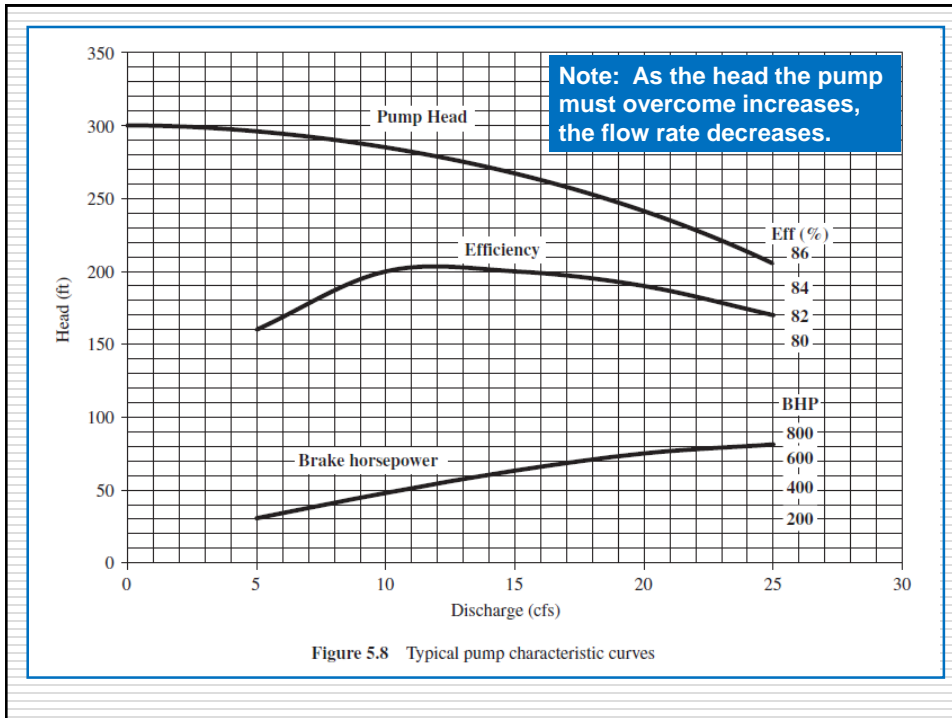
**Q:** Based on the equation, what happens to the flow if the delivery tube is raised?



**A:**

**Q:** What happens if the delivery tube is raised even higher?





## Description of Characteristic Curves (Definitions and Pump Rating Concepts)

**Characteristic (Performance) Curves:** produced and made available by pump manufacturers based on lab and field tests.

**Pump Head:**

**Brake Horsepower:** power input required by the pump ( $P_i$ ).

**Efficiency (e):**  **Rated Capacity:**

**Q:** For the pump on the previous slide, determine the rated capacity (max. "e" and BHP), shutoff head, and H at  $Q = 20$ .

**Affinity Laws:** Once the characteristics of a pump are known for one speed, they can be determined for any speed.

$$Q_2/Q_1 = N_{r2}/N_{r1}; H_{p2}/H_{p1} = (N_{r2}/N_{r1})^2; BHP_2/BHP_1 = (N_{r2}/N_{r1})^3$$

# Single Pump and Pipeline Analysis

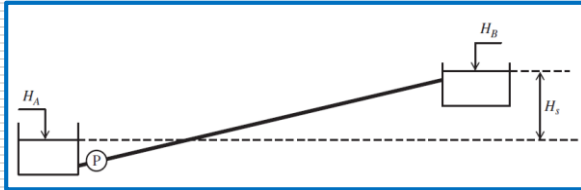
(Example Problem - Active Learning)

For the pump-pipeline system shown;  $H_A = 100$  ft,  $H_B = 220$ ,  $D = 2.0$  ft.,  $L = 12,800$  ft.,  $C_{HW} = 100$ , pump characteristics are known (columns 1 & 2; table on next slide). Find the  $Q$ .

**Solution:** From an energy balance:

or,  $H_p =$   ; where  $H_s = H_B - H_A = 120$  ft

**Note:** The pump adds energy to overcome static lift or head ( $H_s$ ) and friction loss. For Hazen-Williams method (Table 3.4)



$h_f = KQ^{1.85}$ , where

$K = 4.73 \cdot L / (D^{4.87} C^{1.85})$

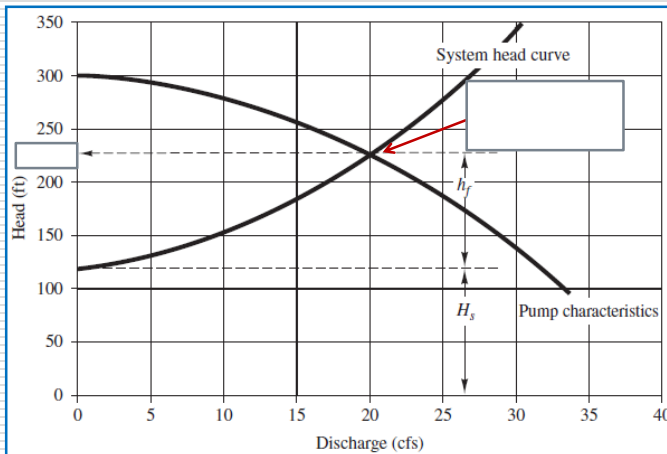
Thus,  $K = 0.413$

## Single Pump and Pipeline Analysis

(Example Problem - cont.)

Fill in the solution table →

$Q$ (cfs)	$H_p$ (ft)	$h_f$ (ft)	$H_s$ (ft)	$H_{SH}$ (ft)
0	300.0			120.0
5	295.5			128.1
10	282.0			149.2
15	259.5			181.9
20	225.5			225.4
25	187.5			279.3



Plot two curves. What is the **system head curve**? What is the  $Q$  for **this pump in this pipeline system**?

**Homework Problems:**